

C A S. II.

Ordinatae $pz^{\theta-1}R^{\lambda}$ & $qz^{\theta-1}R^{\lambda}$, quibus areae pA & qB jam respondeant, si in R . seu $e + fz^n + gz^{2n}$ ducantur ac deinde ad R vicissim applicentur, evadunt $pe + pfz^n + pgz^{2n} \times z^{\theta-1}R^{\lambda-1}$ & $qez^n + qfz^{2n} + qgz^{3n} \times z^{\theta-1}R^{\lambda-1}$. Et per Prop. III. est $az^{\theta}R^{\lambda}$ area Curvae cujus Ordinata est $\theta ae + \frac{\theta}{\lambda n} afz^n + \frac{\theta}{2\lambda n} agz^{2n}$ in $z^{\theta-1}R^{\lambda-1}$, & $bz^{\theta+1}R^{\lambda}$ area Curvae cujus ordinata est $\frac{\theta}{\lambda n} bez^n + \frac{\theta}{n} bfz^{2n} + \frac{\theta}{2\lambda n} bgz^{3n}$ in $z^{\theta-1}R^{\lambda-1}$. Et harum quatuor arearum summa est $pA + qB + az^{\theta}R^{\lambda} + bz^{\theta+1}R^{\lambda}$ & summa respondentium ordinatarum

$$\begin{array}{rcl} \theta ae & + \frac{\theta}{\lambda n} afz^n & + \frac{\theta}{2\lambda n} agz^{2n} & + \frac{\theta}{n} bgz^{3n} & \text{in } z^{\theta-1}R^{\lambda-1}. \\ +pe & + \frac{\theta}{n} be & + \frac{\theta}{\lambda n} bf & + qg \\ & + pf & + pg \\ & + qe & + qf \end{array}$$

Si terminus primus tertius & quartus ponantur seorsum æquales nihilo, per primum fiet $\theta ae + pe = 0$ seu $-a = p$, per quartum $-\theta b - n - 2\lambda n b = q$, & per tertium (eliminando p & q) $\frac{2ag}{f} = b$. Unde secundus fit $\frac{\lambda n af - 4\lambda n ag}{f}$, adeoque summa quatuor Ordinatarum est $\frac{\lambda n af - 4\lambda n ag}{f} z^{\theta-1}R^{\lambda-1}$, & summa totidem respondentium arearum est $az^{\theta}R^{\lambda} + \frac{2ag}{f} z^{\theta+1}R^{\lambda} - \theta aA - \frac{2\theta-1-2n-4\lambda n}{f} agB$.
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